

## 5.1 Standard Form, Mood and Figure

**Syllogism:** deductive argument consisting of two premises and a conclusion.

**Categorical syllogism:**

deductive argument consisting of three categorical propositions that is capable of being translated into standard form.

**Parts of a Categorical Syllogism:**

**Terms:**

**Major Term:** predicate of conclusion

**Minor Term:** subject of the conclusion

**Middle Term:** occurs once in each premise and does not occur in the conclusion

**Premise Names:**

**Major Premise:** top; one that contains the major term

**Minor Premise:** listed second; one that contains the minor term

### Standard Form Rules

Note the need to rearrange arguments that are not in standard form.

**Mood:** letter names of proposition that make it up (A, E, I & O)

**Figure:** determined by the location of the middle term in the two premises that make it up

Use the shirt collar model to memorize figure forms.

NOTE: This method of determining figure is the best way to solve the problems that follow in the next two sections.

### Unconditionally Valid Categorical Syllogisms

Explain what "unconditionally valid" means. This should be a review of Chapter 4 in that we also dealt with unconditionally valid syllogisms there also.

### Aristotelian Additions

The Aristotelian viewpoint is bound up with the existence of the objects referenced in the argument. Thus, these forms are contingent based on existence.

Contrast the idea of unconditionally valid with conditionally valid.

### **Backwards Reconstruction of Arguments Given Mood & Figure**

We can build categorical syllogisms given only mood and figure information.

The key here is remembering that deductive arguments, especially categorical syllogisms, are dependent on form for their validity rather than content (with the exception of the Aristotelian condition of existence).

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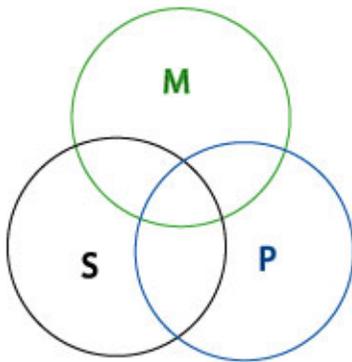
## 5.2 Venn Diagrams

Venn Diagrams are on every major graduate school test known to man. Many of them have more than three variables, but we'll learn tricks to solve the most complicated of puzzles.

Review the method for drawing a basic Venn Diagram; note the seven areas that have to be visible.

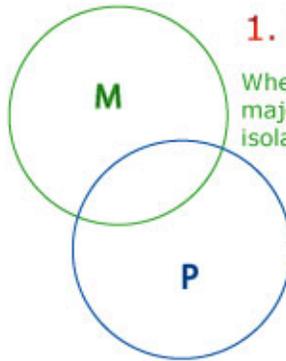
### The Diagram:

This diagram can be broken into 3 parts.



#### 1. Major Premise

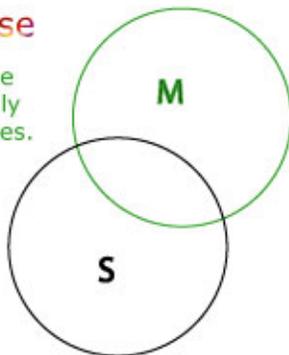
When you diagram the major premise, visually isolate the P & M circles.



To graph a premise it is necessary to visually isolate 2 circles at a time.

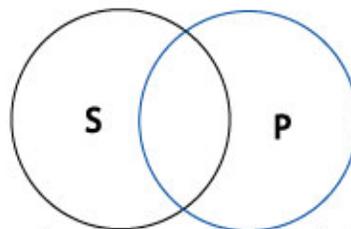
#### 2. Minor Premise

When you diagram the minor premise, visually isolate the P & M circles.



#### 3. To read the conclusion

Since we do not diagram the conclusion, it will only be necessary to visually isolate S & P to evaluate the conclusion.



### The Rules:

1. Mark premises only.
2. Universal premises are entered first.
3. Focus on the two areas (variables) addressed in the premise you are graphing and give only minimal attention (i.e., ignore) the third circle. (See my note below about particular propositions [I & O statements] requiring an X.)
4. Particular conclusions assert existence (i.e., are Aristotelian) and therefore should be evaluated for both conditions

### 5.3 Rules and Fallacies

These five rules may be used as a convenient cross-check against the method of Venn Diagrams. The *first two* are dependent on *distribution*.

**Rule 1: Middle term must be distributed at least once.**

- Fallacy = Undistributed Middle

**Rule 2: All terms distributed in the conclusion must be distributed in one of the premises.**

- Fallacy = Illicit major; Illicit minor
- HINT: Mark all distributed terms first Remember from Chapter 1 that a deductive argument may not contain more information in the conclusion than is contained in the premises. Thus, arguments that commit the fallacies of illicit major and illicit minor commit this error.

**Rule 3: Two negative premises are not allowed.**

- Fallacy = Exclusive premises
- The key is that "nothing is said about the relation between the S class and the P class."

**Rule 4: A negative premise requires a negative conclusion, and a negative conclusion requires a negative premise.**

- Fallacy = Drawing an affirmative conclusion from a negative premise. OR
- Drawing a negative conclusion from affirmative premises. OR Any syllogism having exactly one negative statement is invalid.
- Note the following sub-rule: No valid syllogism can have two particular premises. The last rule is dependent on *quantity*.

**Rule 5: If both premises are universal, the conclusion cannot be particular.**

- Fallacy = Existential Fallacy
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Smartboard Notes from Chapter 5 Lectures:

5.1 Mood and Figure

major premise All P are M.  
 minor premise All M are S.  
 -----  
 ∴ All S are P.  
 minor term major term.

I Some W are M major term  
 A All W are P MIDDLE TERM  
 -----  
 I ∴ Some P are M major term  
 Maj. term minor term  
 IAI-3  
 Cor. position of middle term

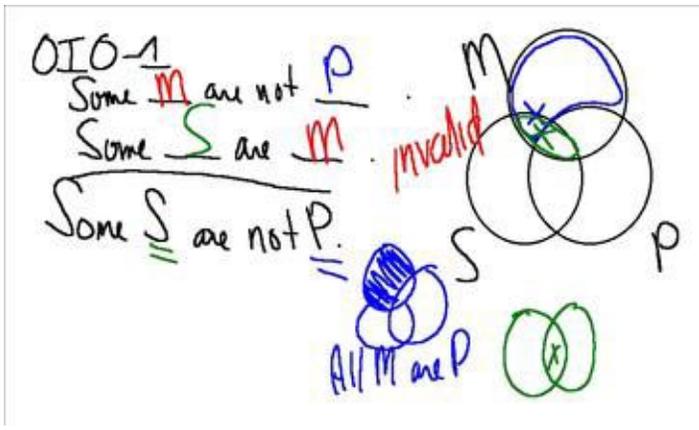
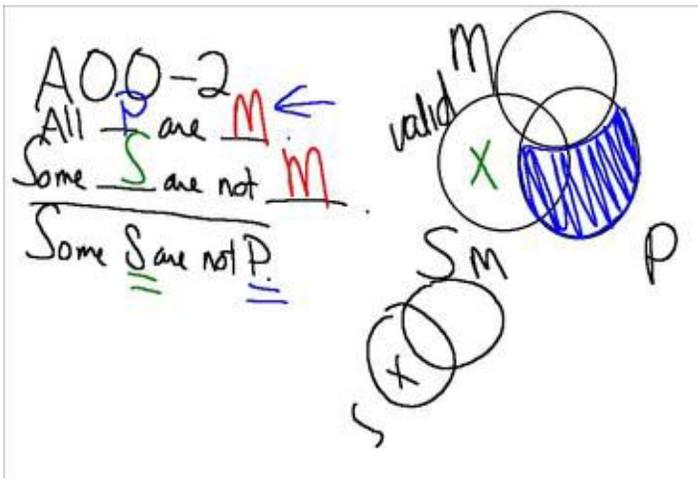
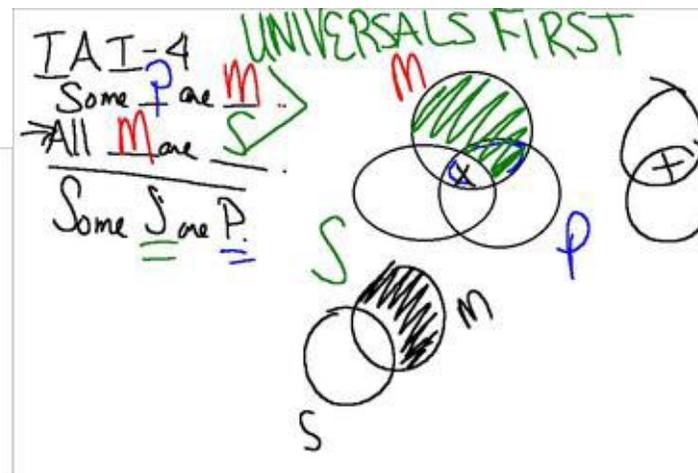
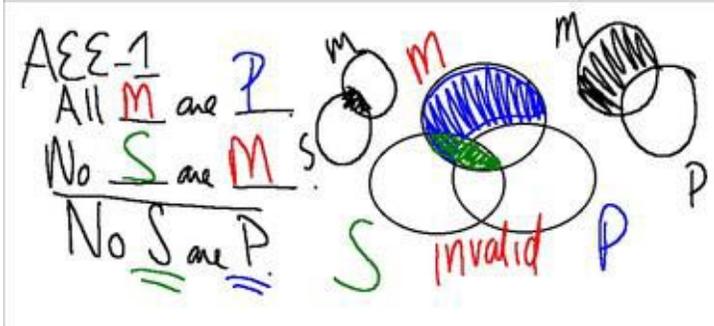
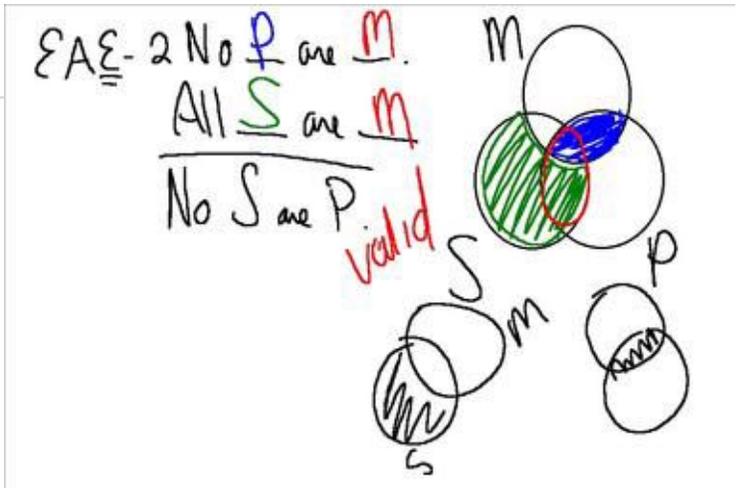
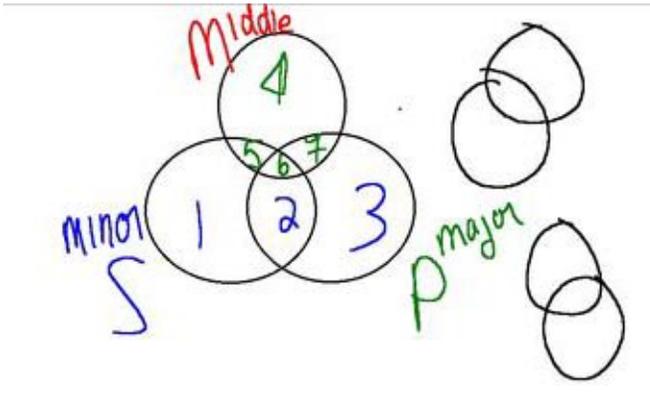
AEE-2  
 maj. term minor term  
 All P are M.  
 No S are M.  
 -----  
 No S are P.

OAO-3  
 M M C  
 Some M are not P.  
 All M are S.  
 -----  
 Some S are not P.

EIO-4  
 No K are Y.  
 Some Y are L.  
 -----  
 O Some L are not K.

AEE-1 All L are M.  
 No R are L.  
 -----  
 Some R are M.  
 AII-3 All M are P.  
 Some M are S.  
 -----  
 Some S are P.  
 EIA-4 No P are M.  
 Some M are S.  
 -----  
 All S are P.

5.2 Venn Diagrams

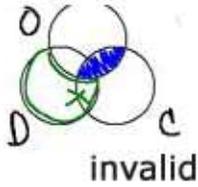


### Section 5.2

No C are O.

Some D are not O.

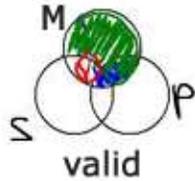
Some D are not C.



No M are P.

All M are S.

Some S are not P.



E No E are C.      EAO-1 valid  
 A All S are E.  
 O Some S are not C.      S, T, C  
 ↳ 1 All T are H.      T, H  
 AAI-3 valid      All T are E.      E, H  
 Some E are H.

Section 5.2 Exercises: Part 2

### Section 5.3: Rules for Checking Validity

No C are O.      SECTION 5.3  
 Some D are not O.      EOO-2: INVALID  
 Some D are not C.      two negative premises  
 Some S are not U.      S, U  
 All S are C.      OAO-3: valid  
 Some C are not U.      C, U

Part 1 5.3 #8 AII-3 valid  
 All M are P.      M, P  
 Some M are S.      M, S  
 Some S are P.      S, P  
 #9 AAI-4 valid  
 All P are M.      P, M  
 All M are S.      M, S  
 Some S are P.      S, P

Exercises Section 5.3 Part 1

